



**UNIVERSITI KUALA LUMPUR**  
**KAMPUS CAWANGAN MALAYSIAN SPANISH INSTITUTE**

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**FINAL EXAMINATION**  
**OCTOBER 2025 SEMESTER**

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**COURSE CODE** : SAB35503  
**COURSE NAME** : ENGINEERING ELECTROMAGNETICS  
**PROGRAMME LEVEL** : BACHELOR  
**DATE** : 28 JANUARY 2026  
**TIME** : 9.00 AM – 11.30 AM  
**DURATION** : 2 HOURS AND 30 MINUTES

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**INSTRUCTIONS TO CANDIDATES**

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1. Please **CAREFULLY** read the instructions given in the question paper.
2. This question paper has information printed on both sides of the paper.
3. This question paper consists of **TWO (2)** sections; Section A and Section B.
4. Answer **ALL** questions in Section A. For Section B, answer **THREE (3)** questions from **FOUR (4)** questions.
5. Please write your answers in the answer booklet provided.
6. Answer all questions in English language **ONLY**.
7. Relevant equations have been appended for your reference.

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**THERE ARE 8 PAGES OF QUESTIONS, EXCLUDING THIS PAGE.**

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**SECTION A (Total: 40 marks)**

**INSTRUCTION: Answer ALL questions.**  
**Please use the answer booklet provided.**

**Question 1**

A technologist is conducting verification tests on a sensitive printed circuit board (PCB) that features high-impedance measurement points, plastic housings, and grounded metal supports in close proximity. During the test session, the technologist records the following observations:

- Some high-impedance voltage or sensor readings drift when a plastic cover is placed near the board.
- Dust particles tend to accumulate on certain PCB regions.
- Bringing a grounded metal tool near the board stabilizes some of the fluctuating readings.
- Two identical boards placed side-by-side show slightly different measured voltages.
- Increasing room humidity improves measurement consistency.

Using your understanding of Electrostatics, answer the following questions:

- (a) Explain why placing a plastic cover near the PCB can cause the measurement readings to drift. (4 marks)
- (b) Describe why dust tends to accumulate in specific areas of the PCB during testing. (4 marks)
- (c) Explain how bringing a grounded metal tool near the PCB can stabilize certain voltage readings. (4 marks)
- (d) Explain why two identical boards placed close together may show slightly different measured voltages. (4 marks)
- (e) Explain why increasing room humidity improves measurement consistency during verification, validation and testing (VVT). (4 marks)

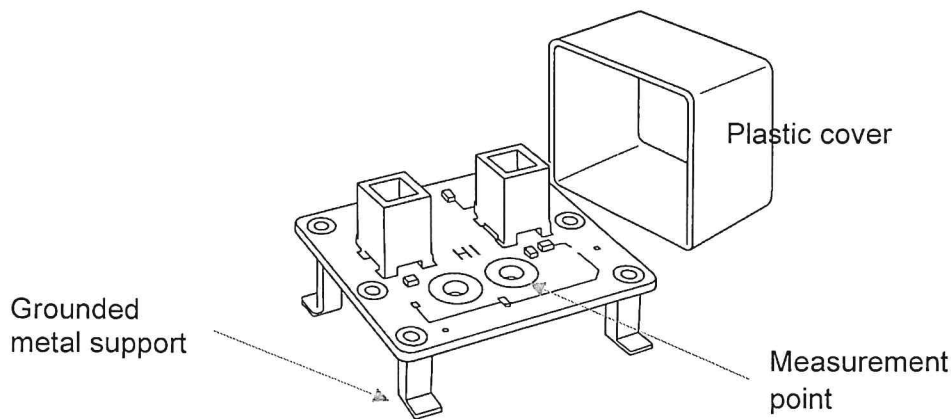


Figure 1: PCB board used in the verification test.

### Question 2

A technologist is performing tests on a power control PCB that includes current-carrying traces, inductors, and magnetic sensors. During the testing process, the technologist observes several behaviors:

- A magnetic sensor shows small output fluctuations when a high-current trace is energized.
- A looped wire near the PCB causes noticeable magnetic interference during measurement.
- Bringing a small steel tool close to an inductor changes the sensor reading slightly.
- A ferrite bead added to a wire reduces noise during current switching tests.
- Two inductors placed close together affect each other's magnetic fields.

Using your understanding of Magnetostatics, answer the following questions:

- (a) Explain why energizing a high-current trace can cause fluctuations in a nearby magnetic sensor reading.  
(4 marks)
- (b) Explain why a looped wire produces stronger magnetic interference compared to a straight wire carrying the same current.  
(4 marks)
- (c) Explain why bringing a steel tool close to an inductor affects the sensor reading.  
(4 marks)
- (d) Explain why adding a ferrite bead to a wire helps reduce noise during switching tests.  
(4 marks)

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(4 marks)

- (e) Explain why two inductors placed close to each other influence each other's magnetic fields.

(4 marks)

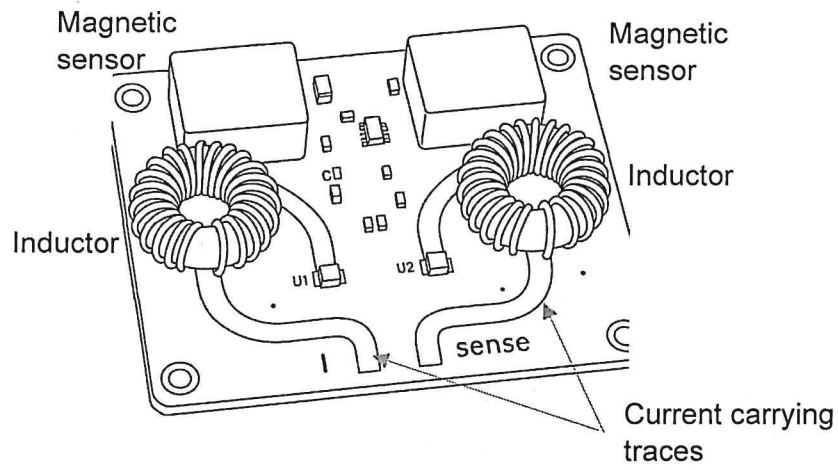


Figure 2: PCB board with inductor and magnetic sensor.

## SECTION B (Total: 60 marks)

**INSTRUCTION: Answer THREE questions ONLY.**

**Please use the answer booklet provided.**

**Question 3**

A technologist is conducting tests on a small DC-powered switching circuit that drives a load via a MOSFET. The circuit is placed within a test enclosure that is partially covered with metal. During the course of routine testing, the technologist notes the following observations:

- Small electric-field spikes appear near the MOSFET drain during switching transitions.
- A magnetic probe detects stronger magnetic activity when the current return trace is routed far away from the supply trace.
- Leaving a small opening in the metal enclosure increases measured emissions.
- A sensor cable nearby picks up noise exactly at the MOSFET's rise and fall times.
- Placing a ferrite block near the switching area reduces some noise but causes slight additional ringing in the measured waveform.

Using your understanding from Maxwell's Equations, analyze the following in simple, engineering-technology terms

- (a) Using Maxwell's ideas, explain why switching transitions at the MOSFET drain create noticeable electric-field spikes, even though the circuit uses low voltage. (4 marks)
- (b) Explain why routing the return trace far from the supply trace increases magnetic field strength during switching. (4 marks)
- (c) Using electromagnetic boundary concepts, explain why a small opening in the metal enclosure allows more EMI to escape. (4 marks)
- (d) Explain why the nearby sensor cable only picks up noise during MOSFET switching edges, not when the MOSFET is fully ON or OFF. (4 marks)
- (e) The ferrite block reduces some switching noise but slightly increases ringing. Using Maxwell-based reasoning, explain why adding ferrite can help one part of the electromagnetic behavior but worsen another

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(4 marks)

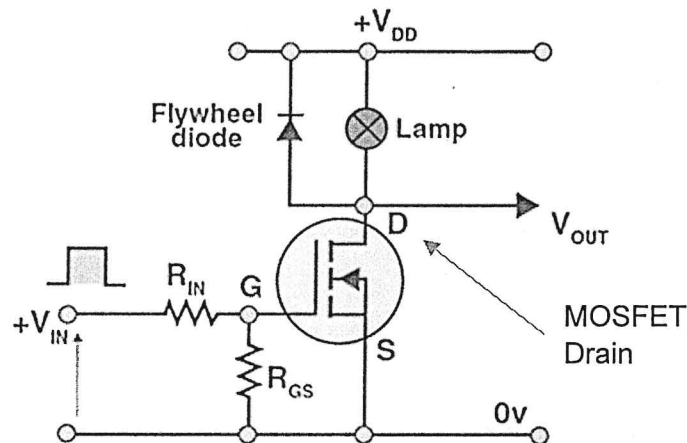


Figure 3: DC powered switching circuit driving a MOSFET.

#### Question 4

A technologist is evaluating a microcontroller board powered by a DC–DC converter. The board incorporates a MOSFET switch, a small inductor, a grounded metal sheet beneath it, and multiple I/O cables. During the testing process, the technologist observes the following behaviors:

- Electric-field pulses appear around the MOSFET only at the rising and falling edges of the switching waveform.
- Magnetic field readings are higher around a long power loop compared to a short, compact power loop.
- When the grounded metal sheet is slightly lifted on one side, radiated noise increases.
- An I/O cable running beside the board shows momentary noise exactly when switching occurs.
- Placing a ferrite pad under the board reduces electric noise but increases the strength of the magnetic field measured above the board.

Using simple analysis based on Maxwell's Equations, answer the following:

- Explain why electric-field pulses only occur during the MOSFET's switching edges and not during steady ON or OFF states. (4 marks)
- Explain why a long power loop produces stronger magnetic fields than a compact loop, even if the same current flows in both. (4 marks)
- Using electromagnetic boundary concepts, explain why lifting one side of the grounded metal sheet increases radiated emissions.

(4 marks)

- (d) Explain why the nearby I/O cable picks up noise only during switching, not during constant voltage periods.

(4 marks)

- (e) Analyze why adding a ferrite pad reduces electric noise but increases the magnetic field measured above the board

(4 marks)

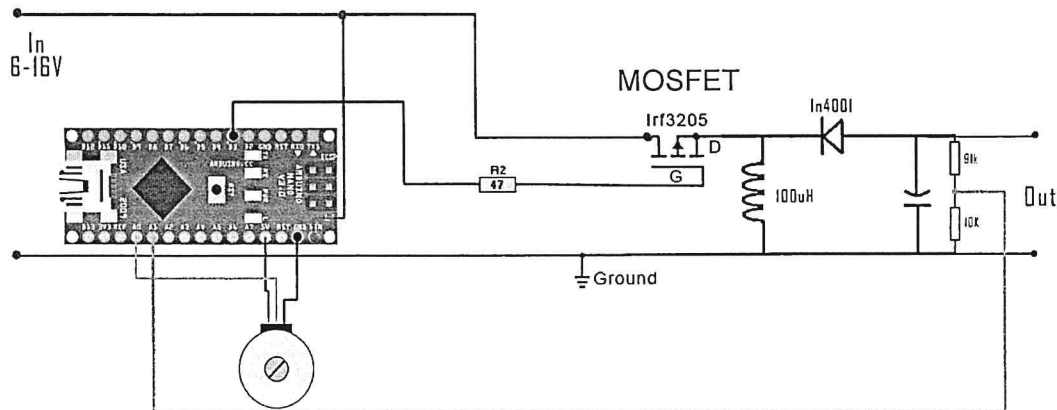


Figure 4: DC-DC converter circuit with microcontroller.

### Question 5

A technologist is performing tests on a DC motor driver board that incorporates a switching MOSFET, a freewheeling diode, a small current-sense resistor, and a metal plate serving as a partial shield. A sensor cable and a power cable are routed close to the board. During the testing procedure, the technologist records the following observations:

- Electric-field bursts appear near the MOSFET only when the MOSFET turns ON and OFF.
- The magnetic-field probe shows higher readings when the motor current path forms a large loop instead of a tightly-routed loop.
- When the metal plate is not fully touching the ground point, radiated emissions become noticeably worse.
- The sensor cable picks up short spikes exactly when the MOSFET switches but remains stable when the MOSFET is fully ON.
- Adding a ferrite ring to the power cable reduces the radiated emissions but slightly increases the switching-edge distortion.

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Using simple Maxwell-based reasoning, answer the following:

- (a) Explain why electric-field bursts only occur during the MOSFET switching transitions, not during steady ON or OFF conditions. (4 marks)
- (b) Explain why a larger motor current loop produces stronger magnetic fields than a tightly-routed loop (4 marks)
- (c) Using electromagnetic boundary concepts, explain why poor contact between the metal plate and ground increases radiated emissions. (4 marks)
- (d) Explain why the sensor cable receives spikes only during switching events and not during steady-state current flow. (4 marks)
- (e) Analyze why adding a ferrite ring to the power cable reduces radiated emissions but increases switching-edge distortion. (4 marks)

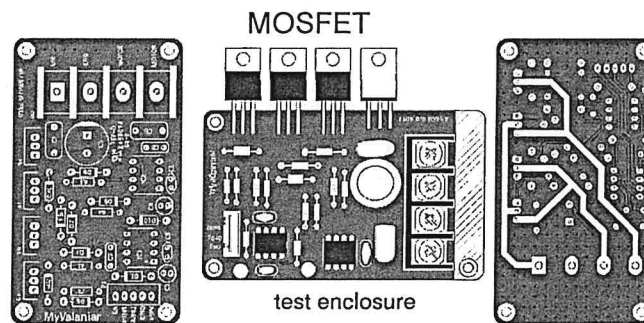


Figure 5: DC motor driver board with MOSFET.

## Question 6

- (a) Figure 6 shows a conductor in rod form moving with velocity  $U$  in magnetic field  $B$ . The velocity of the conducting rod can be represented as

$$U = 2.5 \sin 10^3 t \mathbf{a}_z \text{ (m/s)}$$

and the magnetic field can be represented as

$$B = 0.04 \mathbf{a}_y \text{ (T)}$$

Find the induced voltage,  $E_m$ , in the moving rod conductor from  $x = 0$  until  $x = 0.2$ .

(10 marks)

- (b) Rework question 6(a) where the magnetic field is changed to

$$B = 0.04 \mathbf{a}_x \text{ (T)}$$

(10 marks)

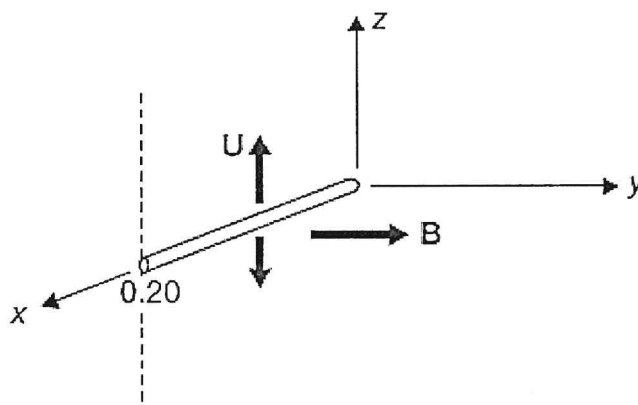


Figure 6: Conducting rod moving in magnetic field.

END OF EXAMINATION PAPER

## APPENDIX

### Vector analysis

$$\mathbf{A} \times \mathbf{B} = AB \sin \theta_{AB} \mathbf{a}_n$$

$$\mathbf{A} \times \mathbf{B} = \begin{vmatrix} \mathbf{a}_x & \mathbf{a}_y & \mathbf{a}_z \\ A_x & A_y & A_z \\ B_x & B_y & B_z \end{vmatrix}$$

$$\mathbf{A} \cdot (\mathbf{B} \times \mathbf{C}) = \mathbf{B} \cdot (\mathbf{C} \times \mathbf{A}) = \mathbf{C} \cdot (\mathbf{A} \times \mathbf{B})$$

$$\mathbf{A} \cdot (\mathbf{B} \times \mathbf{C}) = \begin{vmatrix} A_x & A_y & A_z \\ B_x & B_y & B_z \\ C_x & C_y & C_z \end{vmatrix}$$

$$\mathbf{A} \times (\mathbf{B} \times \mathbf{C}) = \mathbf{B}(\mathbf{A} \cdot \mathbf{C}) - \mathbf{C}(\mathbf{A} \cdot \mathbf{B})$$

#### Rectangular to Cylindrical

$$\text{Variable change} \begin{cases} x = \rho \cos \phi \\ y = \rho \sin \phi \\ z = z \end{cases}$$

$$\text{Component change} \begin{cases} A_\rho = A_x \cos \phi + A_y \sin \phi \\ A_\phi = -A_x \sin \phi + A_y \cos \phi \\ A_z = A_z \end{cases}$$

#### Cylindrical to Rectangular

$$\text{Variable change} \begin{cases} \rho = \sqrt{x^2 + y^2} \\ \phi = \tan^{-1}\left(\frac{y}{x}\right) \\ z = z \end{cases} \begin{cases} \sin \phi = \frac{y}{\sqrt{x^2 + y^2}} \\ \cos \phi = \frac{x}{\sqrt{x^2 + y^2}} \end{cases}$$

$$\text{Component change} \begin{cases} A_x = A_\rho \frac{x}{\sqrt{x^2 + y^2}} - A_\phi \frac{y}{\sqrt{x^2 + y^2}} \\ A_y = A_\rho \frac{y}{\sqrt{x^2 + y^2}} + A_\phi \frac{x}{\sqrt{x^2 + y^2}} \\ A_z = A_z \end{cases}$$

#### Rectangular to Spherical

$$\text{Variable change} \begin{cases} x = r \sin \theta \cos \phi \\ y = r \sin \theta \sin \phi \\ z = r \cos \theta \end{cases}$$

$$\text{Component change} \begin{cases} A_r = A_x \sin \theta \cos \phi + A_y \sin \theta \sin \phi + A_z \cos \theta \\ A_\theta = A_x \cos \theta \cos \phi + A_y \cos \theta \sin \phi - A_z \sin \theta \\ A_\phi = -A_x \sin \phi + A_y \cos \phi \end{cases}$$

#### Spherical to Rectangular

$$\text{Variable change} \begin{cases} r = \sqrt{x^2 + y^2 + z^2} \\ \theta = \cos^{-1} \frac{z}{\sqrt{x^2 + y^2 + z^2}} \\ \phi = \tan^{-1}\left(\frac{y}{x}\right) \end{cases} \begin{cases} \cos \theta = \frac{z}{\sqrt{x^2 + y^2 + z^2}} \\ \sin \theta = \frac{\sqrt{x^2 + y^2}}{\sqrt{x^2 + y^2 + z^2}} \\ \cos \phi = \frac{x}{\sqrt{x^2 + y^2}} \\ \sin \phi = \frac{y}{\sqrt{x^2 + y^2}} \end{cases}$$

$$\text{Component change} \begin{cases} A_x = \frac{A_r x}{\sqrt{x^2 + y^2 + z^2}} + \frac{A_\theta x z}{\sqrt{(x^2 + y^2)(x^2 + y^2 + z^2)}} - \frac{A_\phi y}{\sqrt{x^2 + y^2}} \\ A_y = \frac{A_r y}{\sqrt{x^2 + y^2 + z^2}} + \frac{A_\theta y z}{\sqrt{(x^2 + y^2)(x^2 + y^2 + z^2)}} + \frac{A_\phi x}{\sqrt{x^2 + y^2}} \\ A_z = \frac{A_r z}{\sqrt{x^2 + y^2 + z^2}} - \frac{A_\theta \sqrt{x^2 + y^2}}{\sqrt{x^2 + y^2 + z^2}} \end{cases}$$

### Coordinate system

	Displacement	Normal areas	Volume
<b>Cartesian</b>	$d\mathbf{l} = dx \mathbf{a}_x + dy \mathbf{a}_y + dz \mathbf{a}_z$	$dS = dy dz \mathbf{a}_x$ $dx dz \mathbf{a}_y$ $dx dy \mathbf{a}_z$	$dV = dx dy dz$
<b>Cylindrical</b>	$d\mathbf{l} = d\rho \mathbf{a}_\rho + \rho d\phi \mathbf{a}_\phi + dz \mathbf{a}_z$	$dS = \rho d\phi dz \mathbf{a}_\rho$ $d\rho dz \mathbf{a}_\phi$ $\rho d\rho d\phi \mathbf{a}_z$	$dV = \rho d\rho d\phi dz$
<b>Spherical</b>	$d\mathbf{l} = dr \mathbf{a}_r + r d\theta \mathbf{a}_\theta + r \sin \theta d\phi \mathbf{a}_\phi$	$dS = r^2 \sin \theta d\theta d\phi \mathbf{a}_r$ $r \sin \theta dr d\phi \mathbf{a}_\theta$ $r dr d\theta \mathbf{a}_\phi$	$dV = r^2 \sin \theta dr d\theta d\phi$

### Constants parameters

Symbol	Name	Value (SI Units)	Notes
$\epsilon_0$	Vacuum permittivity (electric constant)	$8.854 \times 10^{-12} \sim \text{F/m}$	Used in Coulomb's law, Gauss's law
$k_e$	Coulomb's constant	$8.988 \times 10^9 \sim \text{N}\cdot\text{m}^2/\text{C}^2$	$k_e = \frac{1}{4\pi\epsilon_0}$
$q$	Elementary charge	$1.602 \times 10^{-19} \sim \text{C}$	Charge of a proton or electron (-)
$\mu_0$	Vacuum permeability (magnetic constant)	$4\pi \times 10^{-7} \sim \text{H/m}$	Appears in Ampère's Law, Biot-Savart Law
$\mu_r$	Relative permeability	Dimensionless	$\mu = \mu_r \mu_0$
$c$	Speed of light in vacuum	$3.00 \times 10^8 \sim \text{m/s}$	$c = \frac{1}{\sqrt{\mu_0 \epsilon_0}}$
$\omega$	Angular frequency	$\omega = 2\pi f$	rad/s
$f$	Frequency	Variable (Hz)	$f = \frac{\omega}{2\pi}$
$\lambda$	Wavelength	Variable (m)	$\lambda = \frac{c}{f}$

### Electrostatics

- Coulomb's Law:  $F = \frac{kQ_1Q_2}{r^2}$
- Electric Field from Point Charge:  $E = \frac{F}{q} = \frac{kQ}{r^2}$
- Electric Flux Density:  $D = \epsilon E$
- Gauss's Law (Integral Form):  $\oint_S D \cdot dS = Q_{enc}$
- Gauss's Law (Differential Form):  $\nabla \cdot D = \rho_v$
- Electric Field from Line Charge:  $E = \frac{\rho_L}{2\pi\epsilon_0 r}$
- Electric Field from Surface Charge:  $E = \frac{\rho_s}{2\epsilon_0}$
- Electric Potential:  $V = -\int bE \cdot dl$
- Electric Field as Gradient of Potential:  $E = -\nabla V$
- Poisson's Equation:  $\nabla^2 V = -\frac{\rho_v}{\epsilon}$
- Laplace's Equation:  $\nabla^2 V = 0$
- Conduction Current Density:  $J = \sigma E$
- Normal Component of Electric Flux Density:  $D_{n1} - D_{n2} = \rho_s$
- Tangential Component of Electric Field:  $E_{t1} = E_{t2}$
- Capacitance (Parallel Plate):  $C = \frac{\epsilon A}{d}$
- Energy Stored in Capacitor:  $W = \frac{1}{2} CV^2$
- Resistance:  $R = \frac{V}{I}$
- Resistivity Relation:  $R = \frac{\rho l}{A}$
- Electric Field in Conductor:  $E = \frac{J}{\sigma}$

### Magnetostatics

- Biot-Savart Law:  $dH = \frac{Idl \times \hat{a}}{4\pi R^2}$
- Magnetic Field (Straight Conductor):  
 $H = \frac{I}{2\pi R}$
- Magnetic Flux Density:  $B = \mu H$
- Ampère's Law (Integral):  $\oint bH \cdot dl = I_{enc}$
- Ampère's Law (Differential):  $\nabla \times H = J$
- Field Inside Conductor:  $H = \frac{Ir}{2\pi a^2}$
- Field Outside Conductor:  $H = \frac{I}{2\pi r}$
- Field in Solenoid:  $B = \mu_0 n I$
- Lorentz Force:  $F = Q(E + v \times B)$
- Force on Conductor:  $F = I \int dl \times B$
- Torque on Loop:  $T = IBA \sin \theta$
- Magnetic Dipole Moment:  $m = IA$
- Torque on Dipole:  $T = m \times B$
- Normal Boundary Condition:  $B_{1n} = B_{2n}$
- Tangential Condition:  $H_{1t} = H_{2t}$
- Magnetic Snell's Law:  $\frac{\tan \theta_1}{\tan \theta_2} = \frac{\mu_1}{\mu_2}$
- Self-Inductance:  $L = \frac{N^2 \mu A}{l}$
- Mutual Inductance:  $M = k \sqrt{L_1 L_2}$
- Inductor Energy:  $W = \frac{1}{2} LI^2$
- Induced EMF:  $V = L \frac{dI}{dt}$

### Electromagnetics (Time-Varying Fields)

- Faraday's Law (Integral):  $v = -\frac{d\Phi}{dt}$
- Faraday's Law (Differential):  $\nabla \times E = -\frac{\partial B}{\partial t}$
- Magnetic Flux:  $\Phi = \int_S B \cdot dS$
- Transformer EMF:  $V_{emf} = \oint_L \vec{E} \cdot d\vec{l} = -\int_S \frac{\partial \vec{B}}{\partial t} \cdot d\vec{S}$
- Motional EMF:  $V_{emf} = \oint_L E_m \cdot d\vec{l} = \oint_L (\vec{u} \times \vec{B}) \cdot d\vec{l}$
- Combination of both transformer and motional emf:

$$V_{emf} = \oint_L \vec{E} \cdot d\vec{l} = - \int_S \frac{\partial \vec{B}}{\partial t} \cdot d\vec{S} + \oint_L (\vec{u} \times \vec{B}) \cdot d\vec{l}$$

- Displacement Current:  $I_d = \epsilon_0 \frac{dE}{dt}$
- Ampère-Maxwell Law:  $\nabla \times H = J + \frac{\partial D}{\partial t}$
- Gauss's Law (Electric):  $\nabla \cdot D = \rho_v$
- Gauss's Law (Magnetic):  $\nabla \cdot B = 0$

### Maxwell Equations

Differential form	Integral form
$\begin{aligned} \nabla \cdot \mathbf{D} &= \rho_v \\ \nabla \cdot \mathbf{B} &= 0 \\ \nabla \times \mathbf{E} &= -\frac{\partial \mathbf{B}}{\partial t} \\ \nabla \times \mathbf{H} &= \mathbf{J} + \frac{\partial \mathbf{D}}{\partial t} \end{aligned}$	$\begin{aligned} \oint_S \mathbf{D} \cdot d\mathbf{S} &= \int_V \rho_v dV \\ \oint_S \mathbf{B} \cdot d\mathbf{S} &= 0 \\ \oint_L \mathbf{E} \cdot d\mathbf{l} &= -\frac{\partial}{\partial t} \int_S \mathbf{B} \cdot d\mathbf{S} \\ \oint_L \mathbf{H} \cdot d\mathbf{l} &= \int_S \left( \mathbf{J} + \frac{\partial \mathbf{D}}{\partial t} \right) \cdot d\mathbf{S} \end{aligned}$

### Transmission Line Theory

- Telegrapher's Equations:  $-\frac{\partial v}{\partial z} = R'i + L' \frac{\partial i}{\partial t}, -\frac{\partial i}{\partial z} = G'v + C' \frac{\partial v}{\partial t}$
- Propagation Constant:  $\gamma = \alpha + j\beta = \sqrt{(R' + j\omega L')(G' + j\omega C')}$
- Voltage Wave Equation:  $\frac{\partial^2 V}{\partial z^2} = \gamma^2 V$
- Characteristic Impedance (General):  $Z_0 = \sqrt{\frac{R' + j\omega L'}{G' + j\omega C'}}$
- Characteristic Impedance (Lossless):  $Z_0 = \sqrt{\frac{L'}{C'}}$
- Voltage Reflection Coefficient:  $\Gamma = \frac{Z_L - Z_0}{Z_L + Z_0}$
- Standing Wave Ratio:  $SWR = \frac{1 + |\Gamma|}{1 - |\Gamma|}$
- Input Impedance:  $Z_{in}(l) = Z_0 \frac{Z_L + jZ_0 \tan(\beta l)}{Z_0 + jZ_L \tan(\beta l)}$
- Quarter-Wave Matching:  $Z_0 = \sqrt{Z_S Z_L}$

### Symbols and Units

$E$ : Electric field intensity (V/m)	$\mu$ : Permeability (H/m)
$D$ : Electric flux density (C/m <sup>2</sup> )	$t$ : Time (s)
$B$ : Magnetic flux density (T)	$Z_0$ : Characteristic impedance ( $\Omega$ )
$H$ : Magnetic field intensity (A/m)	$\Gamma$ : Reflection coefficient
$v, U$ : Velocity of conductor (m/s)	$SWR$ : Standing wave ratio
$v$ : Induced voltage/emf (V)	$\alpha$ : Attenuation constant (Np/m)
$\Phi$ : Magnetic flux (Wb)	$\beta$ : Phase constant (rad/m)
$R$ : Resistance ( $\Omega$ )	$\gamma$ : Propagation constant
$\sigma$ : Electrical conductivity (S/m)	$L', C'$ : Inductance and capacitance per unit length (H/m, F/m)
$\epsilon$ : Permittivity (F/m), $\epsilon = \epsilon_0 \epsilon_r$	$R', G'$ : Resistance and conductance per unit length ( $\Omega$ /m, S/m)
$\omega$ : Angular frequency (rad/s), $\omega = 2\pi f$	$\lambda$ : Wavelength (m)
$A$ : Area (m <sup>2</sup> )	
$i$ : Current (A)	
$f$ : Frequency (Hz)	

